

# TF2: Coordinate Frames & Transforms

Course: Robotic Programming Environments

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# Summary

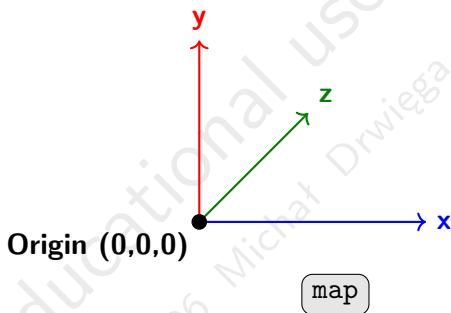
- 1 Prerequisites
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# Prerequisites

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# What is a Coordinate Frame?

- A reference system for describing positions and orientations in space



## Defined by:

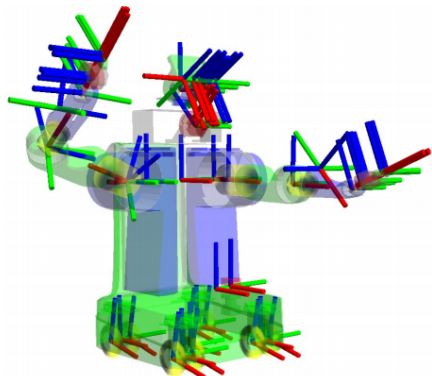
- **Origin:** Position  $(x, y, z)$  in space
- **Orientation:** Quaternion e.g.  $(q_x, q_y, q_z, q_w)$

# Why do we need coordinate systems?

- Robots use multiple sensors:
  - Camera
  - LiDAR
  - IMU
- Each sensor has its own reference coordinate system

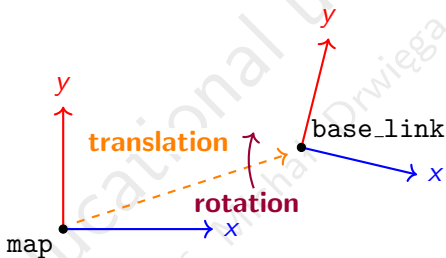
## Problem:

- How to relate all these measurements?



# Transform Between Coordinate Frames

- A **transform** describes how to move from one frame to another
- Combines translation (position) + rotation (orientation)



**Transform**  $T_{map \rightarrow base}$ :

Transform direction matters:  $T_{A \rightarrow B}$  moves points **from** frame A **to** frame B.

## Chaining Transforms

From frame A to C through intermediate frame B:

$$T_{A \rightarrow C} = T_{B \rightarrow C} \circ T_{A \rightarrow B}$$

**Position:**  $\vec{p}_C = \vec{p}_B + R_{B \rightarrow C} \cdot \vec{p}_A$

**Orientation:**  $q_C = q_{B \rightarrow C} \otimes q_{A \rightarrow B}$

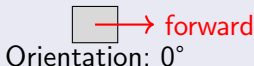
## Important

Transforms are NOT commutative:  $T_{A \rightarrow B} \neq T_{B \rightarrow A}$

**Orientation** = State  
**Rotation** = Action / Change

## Orientation

- The **current** angular state of a body
- Describes "which way it is facing"
- **Relative to a reference frame**
- Example: "Robot is facing East"



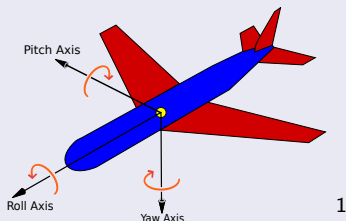
## Rotation

- The **process** of changing orientation
- Describes "how it turned"
- **Relative to previous orientation**
- Example: "Robot turned 90° left"



**RPY** → Roll, Pitch, Yaw (ZYX Euler angles)

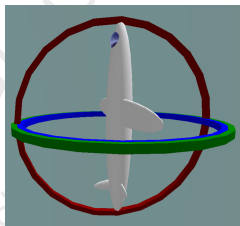
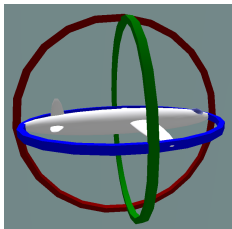
- Three-value orientation representation
- Intuitive for aerospace and mobile robotics
- **Drawback:** Singular configurations (gimbal lock) occur when two axes align, causing loss of one DOF



<sup>1</sup>[https://www.wikiwand.com/en/Aircraft\\_principal\\_axes](https://www.wikiwand.com/en/Aircraft_principal_axes)

# Gimbal Lock - The Singularity Problem

**Gimbal lock** – A loss of one degree of freedom in a 3D rotation system when two rotational axes become aligned.



## When does it happen?

- **Euler angles** representation
- Occurs when pitch =  $\pm 90^\circ$  (for XYZ Euler)
- Yaw and roll axes become **aligned**

## Consequences

- Cannot distinguish between yaw and roll
- Infinite solutions for the same orientation
- **Singularity** in the math

# Orientation Representation - Quaternions

A quaternion is a 4-tuple representation of orientation:

$$q = [x, y, z, w] = [\vec{v}, w]$$

## Properties:

- Unit quaternion:  $\|q\| = \sqrt{x^2 + y^2 + z^2 + w^2} = 1$
- Conjugate:  $q^* = [-x, -y, -z, w]$
- Inverse:  $q^{-1} = \frac{q^*}{\|q\|^2}$

## Example

Rotation of  $90^\circ$  around Z-axis:  $q = [0, 0, 0.7071, 0.7071]$

## Definition

A rotation matrix performs a rotation in Euclidean space:

$$R = \begin{bmatrix} r_{11} & r_{12} & r_{13} \\ r_{21} & r_{22} & r_{23} \\ r_{31} & r_{32} & r_{33} \end{bmatrix} \in \mathbb{R}^{3 \times 3}$$

## Properties

- **Orthogonality:**  $RR^T = R^T R = I_3$
- **Determinant:**  $\det(R) = +1$  (preserves orientation)
- **Preserves cross product:**  $R(v \times w) = (Rv) \times (Rw)$
- **Can be composed:**  $R_{total} = R_2 \cdot R_1$
- **Can be a part of the transformation matrix**

# Affine Transformation Matrix

## Definition

An affine transformation combines linear transformations (rotation, scaling, shear) and translation in a single matrix form.

## Matrix Form (3D)

$$T = \begin{bmatrix} R & t \\ 0 & 1 \end{bmatrix} = \begin{bmatrix} r_{11} & r_{12} & r_{13} & t_x \\ r_{21} & r_{22} & r_{23} & t_y \\ r_{31} & r_{32} & r_{33} & t_z \\ 0 & 0 & 0 & 1 \end{bmatrix}$$

## Properties

- Preserves straight lines and parallelism
- Combines rotation, scaling, shear, and translation
- Enables transformation using matrix multiplication

## Application

$$p' = Tp, \quad p = \begin{bmatrix} x \\ y \\ z \\ 1 \end{bmatrix}$$

- Widely used in robotics, SLAM, and computer vision
- Allows chaining multiple transformations efficiently

# Homogeneous Coordinates

## Idea

Homogeneous coordinates extend standard coordinates by adding an extra dimension, enabling translation to be represented as matrix multiplication.

## Representation

$$2\text{D: } \begin{bmatrix} x \\ y \end{bmatrix} \rightarrow \begin{bmatrix} x \\ y \\ 1 \end{bmatrix} \quad 3\text{D: } \begin{bmatrix} x \\ y \\ z \end{bmatrix} \rightarrow \begin{bmatrix} x \\ y \\ z \\ 1 \end{bmatrix}$$

## Why Use Them?

- Allow translation to be written as matrix multiplication
- Unify rotation, scaling, and translation in one framework
- Enable easy chaining of transformations

# Rotation Representations - Comparison

Feature	RPY / Euler	Quaternion	Rot. Matrix
Number of parameters	3	4	9
Singularities	Yes	No	No
Intuitive interpretation	Yes	Difficult	Moderate
Computational efficiency	High	Very high	Low
Interpolation	Difficult	Easy (slerp)	Difficult

## RPY / Euler

- + Min parameters
- Singularities
- + Intuitive

## Quaternions

- + No singularities
- + Fast interpolation
- Hard to interpret

## Rotation Matrix

- + No singularities
- + Works in T matrix
- Slow computation

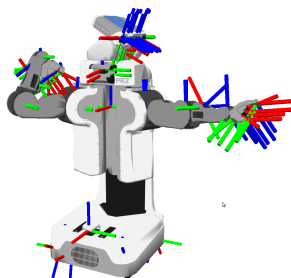
Use **quaternions** for computation/interpolation, **rotation matrices** for transformation composition, **RPY** for human interface.

# TF2 Introduction

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## tf2 (Transform Library) in ROS 2

- Provides a support for managing coordinate systems in a robotic system.
- Enables easy conversion of data between various frames of reference.
- Components: Dynamic Broadcaster, Static Broadcaster, Listener



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<sup>3</sup><http://wiki.ros.org/tf2>

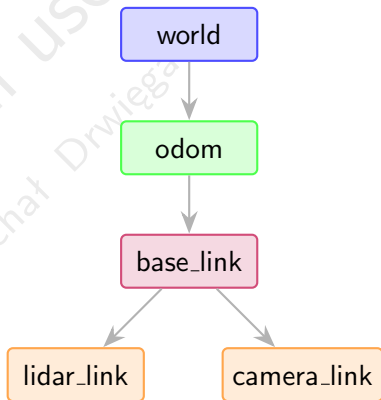
<sup>4</sup><https://docs.ros.org/en/humble/Concepts/Intermediate/About-Tf2.html>

- **Frame:** A coordinate system (e.g. base\_link)
- **Transform:** Position + orientation between two frames
- **Time:** Transforms have temporal validity
- **Tree Structure:** Frames organized in a directed tree

# TF2 Transform Tree Structure

Frames in TF2 form a **tree** (not a graph or mesh)

- Each frame has exactly **one parent**
- A frame can have **multiple children**
- Transform direction: Parent → Child
- **No cycles or loops allowed!**

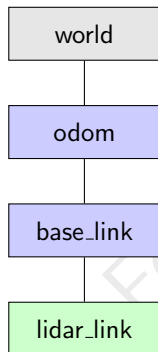


# Transform Tree: Static vs Dynamic Frames

## Tree Organization Principle

Frames are organized by **transform type**:

- **Static transforms**: Fixed relationships (sensor mounting)
- **Dynamic transforms**: Change over time (robot movement)



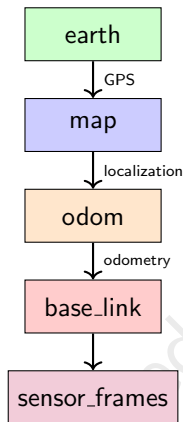
Transform	Type	Update Rate
world → odom	Dynamic	1-10 Hz
odom → base_link	Dynamic	10-100 Hz
base_link → lidar_link	Static	Once (on startup)

## What are REPs?

ROS Enhancement Proposals are design documents that define **standards, conventions, and best practices** for the ROS ecosystem.

REP	Title	Key TF2 Content
REP 105	Coordinate Frames for Mobile Platforms	map, odom, base_link, earth frames

# REP 105: Coordinate Frames for Mobile Robots



## **earth**

- Global fixed frame

## **map**

- World-aligned frame

## **odom**

- Continuous frame
- Dead reckoning

## **base\_link**

- Robot centroid

## **sensor\_frames**

- laser\_frame, camera\_frame

# Core TF2 Packages

- `tf2`<sup>5</sup>
  - Core library for handling coordinate transforms
  - Data structures, buffering, and time handling
- `tf2_ros`
  - ROS 2 interface for `tf2` (broadcasters and listeners)
- `tf2_msgs`
  - TF2 messages definitions, e.g. `TFMessage.msg`
- `tf2_tools`
  - Debugging and visualization tools: e.g. `view_frames`
- `tf2_geometry_msgs`
  - Transform support for geometry messages (e.g. `TransformStamped`)

## Additional integrations:

- `tf2_sensor_msgs` (PointCloud, LaserScan)
- `tf2_eigen`, `tf2_kdl` (math libraries)

<sup>5</sup><https://github.com/ros2/geometry2>

# TransformStamped Message

Represents a time-stamped transform between two coordinate frames.

```
1 std_msgs/Header header
2   stamp           # time of transform
3   frame_id       # parent frame
4
5 string child_frame_id
6
7 geometry_msgs/Transform transform
8   geometry_msgs/Vector3 translation
9     float64 x
10    float64 y
11    float64 z
12  geometry_msgs/Quaternion rotation
13    float64 x
14    float64 y
15    float64 z
16    float64 w
```

# Dynamic TF Broadcaster in ROS2

```
1 class DynamicBroadcaster(Node):
2     def __init__(self):
3         super().__init__('dynamic_broadcaster')
4         self.tfb_ = TransformBroadcaster(self)
5
6     def broadcast_pose(self, pose):
7         tfs = TransformStamped()
8         tfs.header.stamp = self.get_clock().now().to_msg()
9         tfs.header.frame_id="world"
10        tfs._child_frame_id = "base_link"
11        tfs.transform.translation.x = pose.position.x
12        ...
13        r = R.from_euler('xyz',[0,0,pose.orient.theta])
14        tfs.transform.rotation.x = r.as_quat()[0]
15        ...
16
17        self.tfb_.sendTransform(tfs)
```

# Static TF Broadcasting in ROS2

## Overview

Static TF broadcasting in ROS 2 is used to establish fixed coordinate transforms between frames that remain constant throughout the robot's operation.

- Defines transforms that do not change during runtime.
- Ideal for representing fixed relationships between frames in a robotic system, e.g. transforms between sensors
- Improves efficiency by eliminating the need for continuous updates.

## CLI

```
ros2 run tf2_ros static_transform_publisher 0.1 0 0 -1.57  
0.0 0.0 parent_frame child_frame
```

## Overview

TF listening in ROS 2 allows a node to receive and use real-time coordinate transforms between frames, providing up-to-date spatial information in a robotic system.

- Listens to TF messages to retrieve transforms dynamically
- Essential for tasks requiring knowledge of spatial relationships in real-time
- Enables adaptability in response to changes in the robot's environment

# TF2 Lookup Transform Function

## Function Signature

```
1 lookup_transform(  
2     target_frame: str,  
3     source_frame: str,  
4     time: rospy.Time,  
5     timeout: rospy.Duration  
6 ) -> TransformStamped
```

## What it returns?

Transform of **source\_frame**  
expressed in **target\_frame**  
coordinates

## Usage

```
1 from tf2_ros import Buffer,  
   TransformListener  
2 import rospy  
3  
4 tf_buffer = Buffer()  
5 tf_listener =  
   TransformListener(  
   tf_buffer)  
6  
7 transform = tf_buffer.  
   lookup_transform(  
8     target_frame="odom",  
9     source_frame="base_link"  
10    ,  
11    time=rospy.Time(0)  
   )
```

## TF Listener in ROS2 - code example (Python)

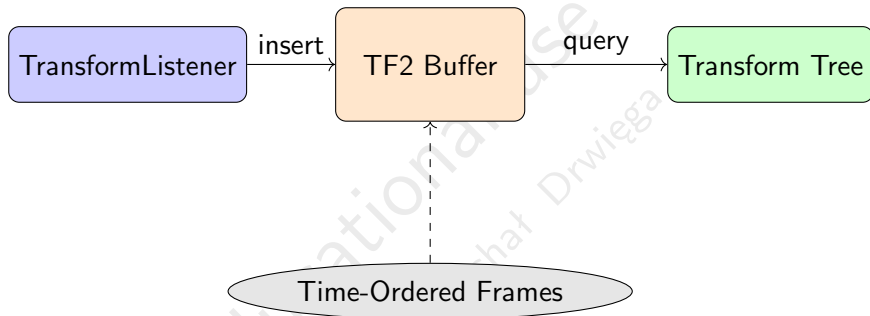
```
1 class TfListener(Node):  
2     def __init__(self):  
3         super().__init__('tf_listener')  
4         self.parent_frame = 'world'  
5         self.child_frame = 'base_link'  
6  
7         self._tf_buffer = Buffer()  
8         self._tf_listener = TransformListener(self._tf_buffer,  
9             self)  
10  
11         self.timer = self.create_timer(0.1, self.timer_callback)
```

## TF Listener in ROS2 - code example (Python)

```
1 def timer_callback(self):
2     try:
3         transform_stamped =
4             self._tf_buffer.lookup_transform(
5                 self.parent_frame,
6                 self.child_frame,
7                 rclpy.time.Time()
8             )
9         print(f'Received transform: {transform_stamped}')
10
11    except LookupException as e:
12        self.get_logger().error('failed to get transform {} \n'.
13                                format(repr(e)))
```

# TF2 Buffering, Interpolation & Synchronization

# The TF2 Buffer Architecture



- **Buffer:** Core data structure storing transforms over time
- Each transform stored with: `frame_id`, `child_frame_id`, `transform`, `timestamp`

# How Buffering Works

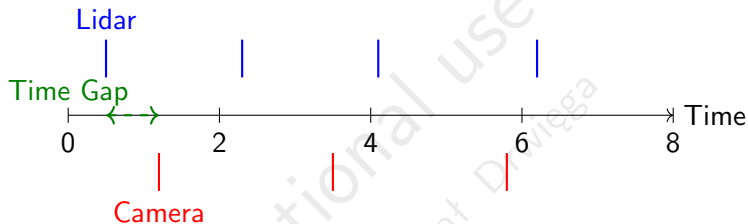
## Storage

- Each frame pair has a circular buffer of transforms over time
- Newer transforms replace older ones based on time
- Default buffer length: 10 seconds

## Buffer Lookup

```
buffer.lookupTransform("world", "robot", time_point);
```

# The Time Synchronization Problem



## Common Issues

- 1 **Message latency:** Sensor messages arrive at different times
- 2 **Clock skew:** Different computers have slightly different clocks
- 3 **Jitter:** Network/processing delays vary

## 1. Time Travel

- Look up transform at the exact timestamp of your data
- `lookupTransform(target, source, data_timestamp)`
- *"What was the transform when this sensor reading happened?"*

## 2. Latest Available

- Use the most recent transform (`ros::Time(0)`)
- Risk: Temporal misalignment
- Only for very high-rate, low-latency systems

## 3. Interpolation

- Buffer automatically interpolates between stored transforms
- Requires at least 2 transforms around target time
- Linear interpolation for position, SLERP for orientation

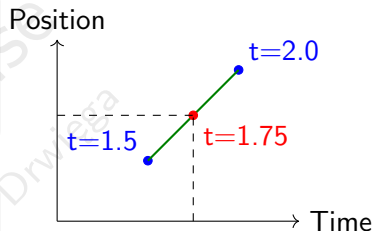
# TF2 Transform Interpolation

## What is Interpolation?

When querying a transform at a timestamp **between** two stored transforms, TF2 automatically interpolates the pose.

## Example Query

```
lookupTransform("world", "robot",  
t=1.75)
```



## Interpolation Methods

- **Linear Interpolation:** Used for position (x, y, z)
- **Spherical Linear Interpolation (SLERP):** Used for orientation (quaternions)
- **Constant Velocity Assumption:** Default behavior between stored transforms

# TF2 Limitations

# Covariance Matrix in Robotics

## What is a Covariance Matrix?

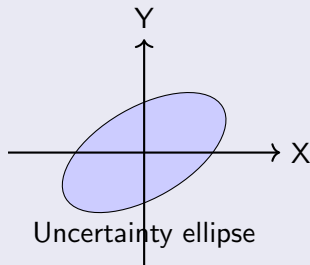
- Measures **uncertainty** in state estimates
- **Diagonal** = variance of each variable
- **Off-diagonal** = correlations between variables
- Size:  $n \times n$  for  $n$  state variables

## 3D Position Covariance

$$\Sigma = \begin{bmatrix} \sigma_x^2 & \sigma_{xy} & \sigma_{xz} \\ \sigma_{yx} & \sigma_y^2 & \sigma_{yz} \\ \sigma_{zx} & \sigma_{zy} & \sigma_z^2 \end{bmatrix}$$

Where  $\sigma_x^2$  = variance in X,  $\sigma_{xy}$  = correlation between X and Y

## Visual Interpretation



Larger ellipse = **more uncertainty**

## What is Transform Covariance?

Covariance represents **uncertainty** in a transform:

$$\Sigma = \begin{bmatrix} \sigma_x^2 & \sigma_{xy} & \sigma_{xz} & \cdots \\ \sigma_{yx} & \sigma_y^2 & \sigma_{yz} & \cdots \\ \vdots & \vdots & \vdots & \ddots \end{bmatrix}$$

- 6x6 matrix for position (3) + orientation (3)
- Describes how confident we are in the transform
- Essential for sensor fusion (Kalman filters, EKF)

## TF2's Problem

**TF2 does NOT store or propagate covariance information!**

## Real World vs TF2

- Odometry drifts → uncertainty grows over time
- Sensor noise → measurements have confidence
- TF2 treats all transforms as **perfectly certain**

## TF2 Limitations - Workarounds for Covariance

Approach	Description
<code>geometry_msgs::PoseWithCovariance</code>	Store covariance separately, not in TF2
<code>nav_msgs::Odometry</code>	Store covariance separately, not in TF2
Custom TF2 buffer	Extend TF2 to store covariance

# Major TF2 Limitations

## Cycles / Loops

- Tree structure only
- Child cannot be parent's ancestor

## No Covariance

- No uncertainty representation
- TF2 = **What** the transform is (deterministic)
- Covariance = **How certain** we are (probabilistic)

## Time Limitations

- Can't query future transforms (no extrapolation)
- Limited history (cache size)
- `ExtrapolationException` common

# Coordinate Frames Debugging

# Debugging TF2 Synchronization Issues

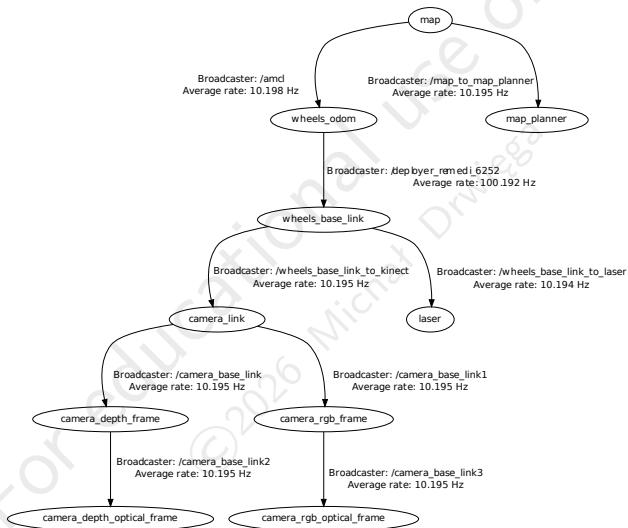
## Common Issues

- *"Lookup would require extrapolation"* → Need more transforms in buffer
- *"Frame not found"* → Transform not published yet or frame name typo
- Large pose jumps → Transform interpolation failure or wrong timestamp

## Debugging Tools

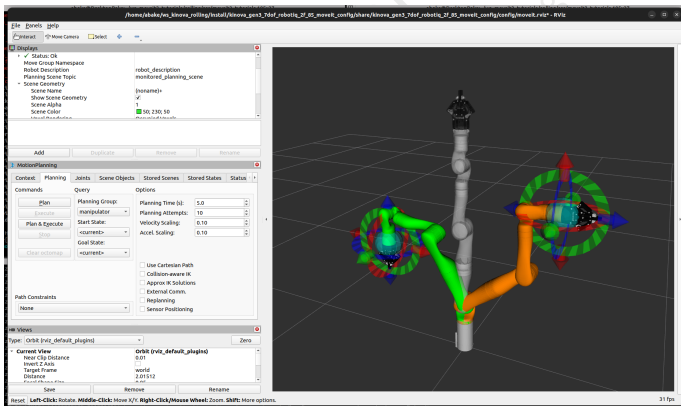
- `view_frames`: Generates PDF of transform tree
- `tf2_echo frame1 frame2`: Live transform streaming
- `ros2 run tf2_ros tf2_monitor`: Monitor transform latency

# view\_frames - Example Output



# Rviz: Robot Visualization Tool

- Rviz is a 3D visualization tool for ROS, used to display robot states, sensor data, and environmental models.
- Allows real-time visualization of data from ROS topics such as laser scans, point clouds, transformations, and robot models.



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<sup>6</sup>[https://moveit.picknik.ai/main/\\_images/rviz\\_plugin\\_head.png](https://moveit.picknik.ai/main/_images/rviz_plugin_head.png)

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